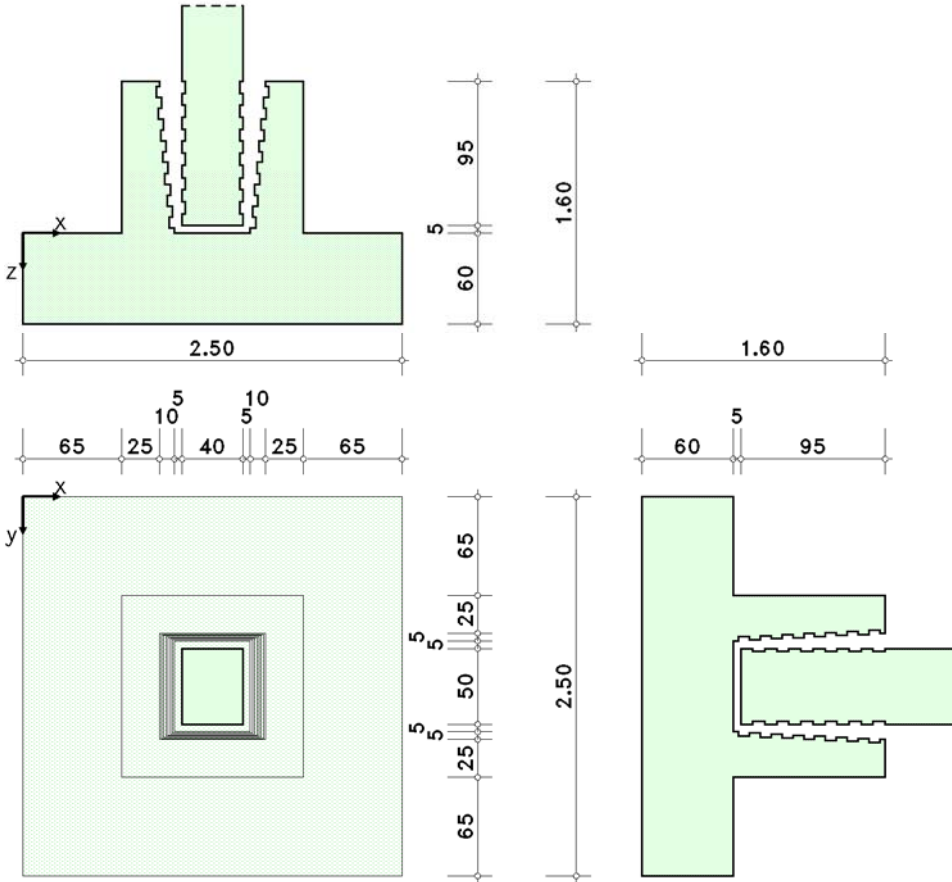


sleeve foundation

reinf. concr. design acc. to DIN EN 1992-1-1:2011-01 with NA-Deutschland(DIN EN 1992-1-1/NA:2013-04)

scale 1:50, profiling not to scale



foundation:

concrete strength class C30/37
steel class B500A

column:

concrete strength class C45/55
steel class B500A

1. soil situation

the anchoring depth of the foundation is $t = 0.80$ m.

the ground water level (below top edge soil) is at $t_w = 2.50$ m.

1.1. designation and characteristic values of soil strata

indication: the thickness of the last stratum is assumed infinite.

stratum	d m	z m	γ kN/m ³	γ' kN/m ³	φ °	c_k kN/m ²	E_m MN/m ²	δ_p °
stratum 1	1.50	0.00	19.00	11.00	25.0	15.0	50.00	auto
stratum 2	99.00	1.50	22.00	13.00	37.0	---	80.00	auto

z - levelan top edge der stratum γ - unit weight γ' - unit weight of submerged soil φ - friction angle

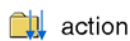
c_k - char. cohesion of the dained soil E_m - mean compression modulus δ_p - angle of wall friction on the passive side

2. loading

2.1. Structure of action effects

On the left-hand side, the action effects and load cases are shown in a tree structure. The right-hand side shows their characteristics of the superposition.

used symbols:



action



load case





1: permanent loads

permanent loads

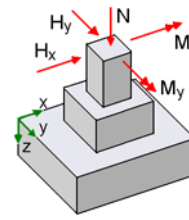
1: dead load (1)

additive

On the left-hand side, the action effects and load cases are shown in a tree structure. The right-hand side shows their characteristics of the superposition.

-  2: live loads (2)
-  2: live loads (2/1)
-  3: new action
-  3: Erbeben

variable live loads in assembly and salesrooms
additive
earthquake load
alternative in group B



2.2. Characteristic column load

point of application in column centroid auf top edge Köcher

Loadc.	N _{st} kN	H _{x,St} kN	H _{y,St} kN	M _{x,St} kNm	M _{y,St} kNm
1	2500.00	-150.00	0.00	0.00	350.00
2	1500.00	-50.00	0.00	0.00	150.00
3	0.00	0.00	500.00	200.00	0.00

2.3. dead load

Das Gewicht der foundation slab wird with $\gamma_E = 25.00 \text{ kN/m}^3$ berücksichtigt.

the height of the earth load is $h_A = 0.20 \text{ m}$.

the mean unit weight of the earth load is $\gamma_A = 19.00 \text{ kN/m}^3$.

the resultant of dead load in the floor joint is $N_{0,dead1,k} = 148.03 \text{ kN}$.

Das dead load wird im load case 1 with berücksichtigt.

3. transmission of force from the column to the foundation

sleeve design with a strut and tie model for distinctive moment action acc. to [1]:

back hung of shear force $T_{h1} = V_{Ed}$

vertical tensile force from curvature of T_{h1} $T_{v1} = T_{h1} \cdot t / a_w$

maximum column tensile force $F_s = \min A_{s,St,tension} \cdot f_{y,d,St}$

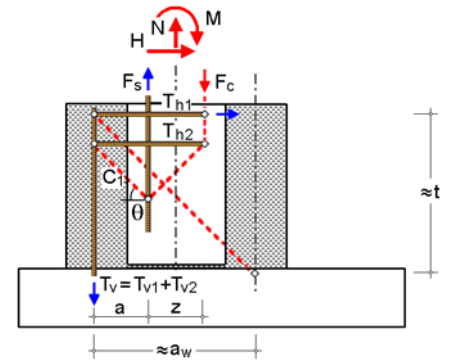
vertical tensile force from column tensile force F_s and reinf.offset $T_{v2} = F_s \cdot z / (a+z)$

horizontal component of the compression strut C_1 $T_{h2} = T_{v2} \cdot \tan \theta$

horizontal reforcem. $\min A_{s,h} = (T_{h1} + T_{h2}) / (f_{y,d,K})$

vertical reforcem. $\min A_{s,v} = (T_{v1} + T_{v2}) / (f_{y,d,K})$

requirements: profiled lateral surfaces of column base and interior surfaces of the sleeve acc. to figure 6.9 aus [2].



3.1. design values sleeve design

3.1.1. factorization of load case combinations

LK	design situat.	factorization	LK	design situat.	factorization
1	permanent and transient	Lf1	5	permanent and transient	Lf1+0.7 · 1.5 · Lf2
2	permanent and transient	1.35 · Lf1	6	permanent and transient	1.35 · Lf1+0.7 · 1.5 · Lf2
3	permanent and transient	Lf1+1.5 · Lf2	7	earthqu.	Lf1+Lf3
4	permanent and transient	1.35 · Lf1+1.5 · Lf2	8	earthqu.	Lf1+Lf3+0.6 · Lf2

3.1.2. column load

in column centroid, top edge of sleeve

increasing factor for flex. mom.: $\Delta M_{St,TH,II,0} = M_{St} \cdot 20\%$

(for the consideration of increase of moments from non-linear effects)

LK	N _{st,d} kN	H _{x,St,d} kN	H _{y,St,d} kN	M _{x,St,d} kNm	M _{y,St,d} kNm	LK	N _{st,d} kN	H _{x,St,d} kN	H _{y,St,d} kN	M _{x,St,d} kNm	M _{y,St,d} kNm
1	2500.00	-150.00	0.00	0.00	420.00	5	4075.00	-202.50	0.00	0.00	609.00
2	3375.00	-202.50	0.00	0.00	567.00	6	4950.00	-255.00	0.00	0.00	756.00
3	4750.00	-225.00	0.00	0.00	690.00	7	2500.00	-150.00	500.00	240.00	420.00
4	5625.00	-277.50	0.00	0.00	837.00	8	3400.00	-180.00	500.00	240.00	528.00

3.2. input values

edge distance column longit. reinf. $d_{1,St} = 5.0 \text{ cm}$

upper clearance thickness $t_{F_x}/t_{F_y} = 15.0/10.0 \text{ cm}$

edge distance vert. sleeve reinf. $d_{1,K} = 4.0 \text{ cm}$

distance der vert. reinforcementsschenkel im Köcher $s_K = 15.0 \text{ cm}$

existing column longitudinal reinforcement

° face 1 and 2: $A_{s,St,1} = A_{s,St,2} = 25.1 \text{ cm}^2$

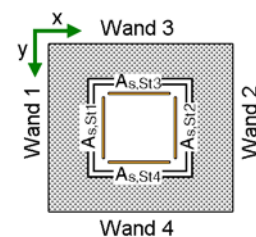
° face 3 and 4: $A_{s,St,3} = A_{s,St,4} = 25.1 \text{ cm}^2$

max. diameter of existing column longitudinal reinforcement $d_s = \emptyset 10$

assumption for lower concrete cover in column base $c_{nom,St,u} = 3.0 \text{ cm}$

assumption for upper concrete cover in the slab $c_{nom,F,o} = 3.5 \text{ cm}$

assumption for angle of compression strut in the clearance $\theta = 45^\circ$



3.3. Design calculation in x/z-plane

minimum column reinforcement

LK	As,st (per side) cm ²	As,St,comp. cm ²	As,St,tens. cm ²	LK	As,st (per side) cm ²	As,St,comp. cm ²	As,St,tens. cm ²
1	14.5	14.5	14.5	5	41.3	41.3	41.3
2	32.1	32.1	32.1	6	61.7	61.7	61.7
3	54.2	54.2	54.2	7	14.5	14.5	14.5
4	74.9	74.9	74.9	8	29.0	29.0	29.0

$$a_w = h_{st,x} + 2 \cdot t_{F,x} + d_{w,x} = 0.95 \text{ m}$$

$$a = d_{1,st} + t_{F,x} + d_{1,k} + s_k = 31.5 \text{ cm}$$

$$z = \max\{0.9 \cdot (h_{st,x} - d_1); (h_{st,x} - 2 \cdot d_1)\} = 31.5 \text{ cm}$$

minimum sleeve reinforcement

LK	Hx kN	Th1 kN	Tv1 kN	Fs kN	Tv2 kN	Th2 kN	min As,h,k cm ²	min As,v,k cm ²
1	-150.00	150.0	150.0	628.8	314.4	314.4	10.7	10.7
2	-202.50	202.5	202.5	1397.3	698.7	698.7	20.7	20.7
3	-225.00	225.0	225.0	2357.1	1178.5	1178.5	32.3	32.3
4	-277.50	277.5	277.5	3257.0	1628.5	1628.5	43.8	43.8
5	-202.50	202.5	202.5	1796.3	898.1	898.1	25.3	25.3
6	-255.00	255.0	255.0	2680.6	1340.3	1340.3	36.7	36.7
7	-150.00	150.0	150.0	628.8	314.4	314.4	10.7	10.7
8	-180.00	180.0	180.0	1260.5	630.3	630.3	18.6	18.6

3.4. Design calculation in y/z-plane

minimum column reinforcement

LK	As,st (per side) cm ²	As,St,comp. cm ²	As,St,tens. cm ²	LK	As,st (per side) cm ²	As,St,comp. cm ²	As,St,tens. cm ²
1	-	-	-	5	-	-	-
2	-	-	-	6	-	-	-
3	-	-	-	7	-	-	-
4	6.6	6.6	-	8	-	-	-

$$a_w = h_{st,y} + 2 \cdot t_{F,y} + d_{w,y} = 0.95 \text{ m}$$

$$a = d_{1,st} + t_{F,y} + d_{1,k} + s_k = 31.5 \text{ cm}$$

$$z = \max\{0.9 \cdot (h_{st,y} - d_1); (h_{st,y} - 2 \cdot d_1)\} = 40.5 \text{ cm}$$

LK	Hx kN	Th1 kN	Tv1 kN	Fs kN	Tv2 kN	Th2 kN	min As,h,k cm ²	min As,v,k cm ²
1	0.00	0.0	0.0	0.0	0.0	0.0	-	-
2	0.00	0.0	0.0	0.0	0.0	0.0	-	-
3	0.00	0.0	0.0	0.0	0.0	0.0	-	-
4	0.00	0.0	0.0	0.0	0.0	0.0	-	-
5	0.00	0.0	0.0	0.0	0.0	0.0	-	-
6	0.00	0.0	0.0	0.0	0.0	0.0	-	-
7	500.00	500.0	500.0	0.0	0.0	0.0	11.5	11.5
8	500.00	500.0	500.0	0.0	0.0	0.0	11.5	11.5

3.5. resultant horizontal sleeve reinforcement

minimum reinforcement per sleeve face $\min A_{s,h,wall} = 43.8 / 2 = 21.9 \text{ cm}^2$

3.6. selection of sleeve reinforcement

selected: B500A, vertical for face 1 and 2 jewels
 20 double shear stirrups $\varnothing 12 = 45.2 > 43.8 \text{ cm}^2$
 B500A, vertical for face 3 and 4 jewels
 6 double shear stirrups $\varnothing 12 = 13.6 > 11.5 \text{ cm}^2$
 B500A, horizontal per sleeve cheek
 10 double shear stirrups $\varnothing 12 = 22.6 > 21.9 \text{ cm}^2$

3.7. minimum anchoring depth

$$\min t = 1.5 \cdot h_{st} = 75.0 \text{ cm} < 95.0 \text{ cm}$$

3.8. anchorage of column longitudinal reinforcement

existing anchorage length $l_b = t - c_{nom,st,u} = 92.0 \text{ cm}$

basic anchorage length

design value of steel stress (B500A, $\gamma_s = 1.15$) $f_{yd} = 434.78 \text{ N/mm}^2$

design value of bond stress f_{bd} :

° concrete parameters (C45/55) $f_{ctk;0.05} = 2.66 \text{ N/mm}^2$, $\gamma_c = 1.50$

° good bond conditions

$$f_{bd} = 2.25 \cdot f_{ctk;0.05} / \gamma_c = 3.99 \text{ N/mm}^2$$

basic anchorage length $l_b = (d_s/4) \cdot (f_{yd}/f_{bd}) = 27.2 \text{ cm}$

anchorage as compression reinforcement

straight bar ends: $\alpha_a = 1.0$

unfavourable ratio of $\min A_{s,compr.}/\text{exis } A_s = 2.98$

minimum value of anchorage length $l_{b,min} = \max \{ 0.6 \cdot l_b, 10 \cdot d_s \} = 16.3 \text{ cm}$

minimum anchorage length $l_{b,net} = \max \{ \alpha_a \cdot l_b \cdot A_{s,min}/A_{s,exis}, l_{b,min} \} = 81.3 < 92.0 \text{ cm}$

anchorage as bending-tension reinforcement

straight bar ends: $\alpha_a = 1.0$

unfavourable ratio of $\min A_{s,tens.}/\text{exis } A_s = 2.98$

minimum value of anchorage length $l_{b,min} = \max \{ 0.3 \cdot \alpha_a \cdot l_b, 10 \cdot d_s \} = 10.0 \text{ cm}$

minimum anchorage length $l_{b,net} = \max \{ \alpha_a \cdot l_b \cdot A_{s,min}/A_{s,exis}, l_{b,min} \} = 81.3 < 92.0 \text{ cm}$

lap length of bending-tension reinforcement with vertical upstanding stirrup leg

existing lap length $\text{exis } l_b = t - C_{nom,St,u} - C_{nom,F,o} = 88.5 \text{ cm}$

clear bar distance $a_n = a - (d_{s,st} + d_{s,k})/2 = 30.4 \text{ cm}$

reduced anchorage length $l_{b,net} = \max \{ (T_{v2}/F_s) \cdot l_{b,net}, l_{b,min} \} = 40.7 \text{ cm}$

coefficient for the lap lengths of a tensile joint with > 30 : $\alpha_1 = 1.4$

minimum value of lap length $l_{s,min} = \max \{ 0.3 \cdot \alpha_a \cdot \alpha_1 \cdot l_b, 15 \cdot d_s, 200 \text{ mm} \} = 20.0 \text{ cm}$

minimum lap length $l_s = \max \{ l_{b,net} \cdot \alpha_1, l_{s,min} \} + (a_n - 4 \cdot d_s) = 83.3 < 88.5 \text{ cm}$

3.9. anchorage of vertical stirrups

basic anchorage length

design value of steel stress (B500A, $\gamma_s = 1.15$) $f_{yd} = 434.78 \text{ N/mm}^2$

design value of bond stress f_{bd} :

° concrete parameters (C30/37) $f_{ctk;0.05} = 2.03 \text{ N/mm}^2$, $\gamma_c = 1.50$

° good bond conditions

$f_{bd} = 2.25 \cdot f_{ctk;0.05} / \gamma_c = 3.04 \text{ N/mm}^2$

basic anchorage length $l_b = (d_s/4) \cdot (f_{yd}/f_{bd}) = 42.8 \text{ cm}$

minimum anchorage length

unfavourable ratio of $A_{s,min}/A_{s,exis} = 0.97$

bar end formed as loop, acc. to [3], table 26 (with $d_{br} > 15 d_s$) $\alpha_a = 0.5$

minimum value of anchorage length $l_{b,min} = \max \{ 0.3 \cdot \alpha_a \cdot l_b, 10 \cdot d_s \} = 12.0 \text{ cm}$

minimum anchorage length $l_{b,net} = \max \{ \alpha_a \cdot l_b \cdot A_{s,min}/A_{s,exis}, l_{b,min} \} = 20.8 \text{ cm}$

lap length with column longitudinal reinforcement

coefficient for the lap lengths of a tensile joint with > 30 : $\alpha_1 = 1.4$

minimum value of lap length $l_{s,min} = \max \{ 0.3 \cdot \alpha_a \cdot \alpha_1 \cdot l_b, 15 \cdot d_s, 200 \text{ mm} \} = 20.0 \text{ cm}$

minimum lap length $l_s = \max \{ l_{b,net} \cdot \alpha_1, l_{s,min} \} + (a_n - 4 \cdot d_s) = 54.7 < 88.5 \text{ cm}$

t_x/t_y - upper clearance thickness in the particular axis direction t - column anchoring depth

4. design calculation of foundation slab

4.1. partial safety factors for material

design situat.	γ_c	γ_s
permanent and transient	1.50	1.15
earthquake	1.50	1.15

4.2. design values of reinforced concrete design

Die Mobilisierung des passive earth pressurees wird vernachlässigt.

4.2.1. factorization of load case combinations

LK	design situat.	factorization	LK	design situat.	factorization
1	permanent and transient	Lf1	5	permanent and transient	Lf1+0.7·1.5·Lf2
2	permanent and transient	1.35·Lf1	6	permanent and transient	1.35·Lf1+0.7·1.5·Lf2
3	permanent and transient	Lf1+1.5·Lf2	7	earthqu.	Lf1+Lf3
4	permanent and transient	1.35·Lf1+1.5·Lf2	8	earthqu.	Lf1+Lf3+0.6·Lf2

4.2.2. column load

in centroid of column, on top edge of slab

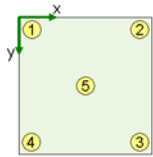
increasing factor for flex. mom.: $\Delta M_{St,TH.II.0} = M_{St} \cdot 20\%$

(for the consideration of increase of moments from non-linear effects)

LK	N _{St,d} kN	H _{x,St,d} kN	H _{y,St,d} kN	M _{x,St,d} kNm	M _{y,St,d} kNm	LK	N _{St,d} kN	H _{x,St,d} kN	H _{y,St,d} kN	M _{x,St,d} kNm	M _{y,St,d} kNm
1	2536.00	-150.00	0.00	0.00	570.00	5	4111.00	-202.50	0.00	0.00	811.50
2	3423.60	-202.50	0.00	0.00	769.50	6	4998.60	-255.00	0.00	0.00	1011.00
3	4786.00	-225.00	0.00	0.00	915.00	7	2536.00	-150.00	500.00	740.00	570.00
4	5673.60	-277.50	0.00	0.00	1114.50	8	3436.00	-180.00	500.00	740.00	708.00

4.3. base pressure

determination of base pressures assuming linear soil stresses and elimination of tension
stress in the corner points: σ_1 to σ_4 , stress in centroid: σ_5



LK	σ_1 kN/m ²	σ_2 kN/m ²	σ_3 kN/m ²	σ_4 kN/m ²	σ_5 kN/m ²
1	677.12	170.24	170.24	677.12	423.68
2	914.12	229.83	229.83	914.12	571.97
3	1186.88	380.48	380.48	1186.88	783.68
4	1423.88	440.07	440.07	1423.88	931.97
5	1033.96	317.41	317.41	1033.96	675.68
6	1270.95	377.00	377.00	1270.95	823.97
7	268.38	0.00	564.17	1104.33	416.27
8	480.42	0.00	652.63	1285.43	566.53

4.4. Design calculation for bending

4.4.1. longitudinal reinforcement in x-direction

reinforcement edge distance top/bottom $h_{so}/h_{su} = 5.0/5.0$ cm

moments in design calculation sections

LK	x = 65.0 cm kNm	x = 185.0 cm kNm	LK	x = 65.0 cm kNm	x = 185.0 cm kNm
1	324.48	103.18	5	503.33	190.50
2	438.04	139.30	6	616.90	226.62
3	579.98	227.92	7	327.83	108.34
4	693.55	264.04	8	427.40	154.75

Design calculation for LK 4: $\varepsilon_o/\varepsilon_u = -2.18/27.47\%$ $\min A_{s,u} = 28.5$ cm²

4.4.2. longitudinal reinforcement in y-direction

reinforcement edge distance top/bottom $h_{so}/h_{su} = 6.0/6.0$ cm

moments in design calculation sections

LK	y = 65.0 cm kNm	y = 185.0 cm kNm	LK	y = 65.0 cm kNm	y = 185.0 cm kNm
1	213.83	213.83	5	346.92	346.92
2	288.67	288.67	6	421.76	421.76
3	403.95	403.95	7	48.14	392.40
4	478.79	478.79	8	117.39	464.99

Design calculation for LK 4: $\varepsilon_o/\varepsilon_u = -1.72/27.97\%$ $\min A_{s,u} = 19.9$ cm²

4.4.3. selected reinforcement in x-direction

bottom (distribution acc. to [4])

width	cm	31.3	31.3	31.3	31.3	31.3	31.3	31.3	31.3
distrib.	%	8.0	10.0	14.0	18.0	18.0	14.0	10.0	8.0
min A_s	cm ²	2.3	2.8	4.0	5.1	5.1	4.0	2.8	2.3
select.		3 Ø 12	3 Ø 12	4 Ø 12	5 Ø 12	5 Ø 12	4 Ø 12	3 Ø 12	3 Ø 12
axis A_s	cm ²	3.4	3.4	4.5	5.7	5.7	4.5	3.4	3.4

total existing bottom reinforcement: $\Sigma A_s = 33.9 > 28.5$ cm²

4.4.4. selected reinforcement in y-direction

bottom (distribution acc. to [4])

width	cm	31.3	31.3	31.3	31.3	31.3	31.3	31.3	31.3
distrib.	%	7.6	10.0	14.0	18.4	18.4	14.0	10.0	7.6
min A_s	cm ²	1.5	2.0	2.8	3.7	3.7	2.8	2.0	1.5
select.		2 Ø 12	2 Ø 12	3 Ø 12	4 Ø 12	4 Ø 12	3 Ø 12	2 Ø 12	2 Ø 12
axis A_s	cm ²	2.3	2.3	3.4	4.5	4.5	3.4	2.3	2.3

total existing bottom reinforcement: $\Sigma A_s = 24.9 > 19.9$ cm²

$\varepsilon_o/\varepsilon_u$ - strains in extreme fibres (top/bottom)

4.5. punching shear calculation

4.5.1. action within the basic control perimeter

$$V_{Ed,crit} = \beta \cdot V_{Ed,red} / (u_{crit} \cdot d)$$

$$V_{Ed,red} = V_{Ed} - \Delta V_{Ed}$$

$$\Delta V_{Ed} = A_{crit} (\sigma_{Ed,gd,m} - g_{Ed,slab})$$

$$\beta = 1 + \sqrt{\left(\frac{k_x \cdot M_{Ed,x}}{V_{Ed} \cdot u_{crit}} + \frac{W_{crit,x}}{W_{crit,y}} \right)^2 + \left(\frac{k_y \cdot M_{Ed,y}}{V_{Ed} \cdot u_{crit}} + \frac{W_{crit,y}}{W_{crit,x}} \right)^2} \geq 1.10$$

$W_{crit} = \int |e| dl$ mit dl : differential of perimeter
 e : distance of dl to axis of M_{Ed}

coefficient for the calculation of shear stresses from moment action

(acc. to [2], table 6.1)

$$c_1 = c_2 = 1.2 \Rightarrow k_x = k_y = 0.6$$

calculated values of basic control perimeter

LK	acrit cm	a/d -	ucrit m	Acrit m ²	Wcrit,x m ²	Wcrit,y m ²	LK	acrit cm	a/d -	ucrit m	Acrit m ²	Wcrit,x m ²	Wcrit,y m ²
1	30.2	0.56	6.70	3.179	4.3922	4.3922	5	30.5	0.56	6.72	3.198	4.4156	4.4156
2	30.2	0.56	6.70	3.179	4.3922	4.3922	6	30.5	0.56	6.72	3.198	4.4156	4.4156
3	30.5	0.56	6.72	3.198	4.4156	4.4156	7	29.7	0.55	6.67	3.143	4.3455	4.3455
4	30.5	0.56	6.72	3.198	4.4156	4.4156	8	30.0	0.55	6.68	3.161	4.3688	4.3688

decisive shear stress within the basic control perimeter

LK	V _{Ed} kN	σ _{Ed,gd,m} kN/m ²	ΔV _{Ed} kN	M _{Ed,x,Sp} kNm	M _{Ed,y,Sp} kNm	β -	v _{Ed,crit} N/mm ²
1	2536.00	406.04	1290.93	-0.00	-570.00	1.21	0.411
2	3423.60	548.15	1742.75	-0.00	-769.50	1.21	0.555
3	4786.00	766.28	2450.26	0.00	-915.00	1.17	0.749
4	5673.60	908.39	2904.67	0.00	-1114.50	1.18	0.892
5	4111.00	658.21	2104.69	0.00	-811.50	1.18	0.647
6	4998.60	800.32	2559.10	0.00	-1011.00	1.18	0.789
7	2536.00	405.68	1275.01	740.00	-570.00	1.34	0.465
8	3436.00	550.13	1739.00	740.00	-708.00	1.27	0.593

ΔV_{Ed} - resultant of ground pressure M_{Ed,x,Sp}/M_{Ed,y,Sp} - moments concerning centre of control perimeter
β - load increase factor from eccentric load v_{Ed,crit} - decisive shear stress within the basic control perimeter

4.5.2. Punching shear resistance within the basic control perimeter

$$v_{Rd,c} = C_{Rd,c} \cdot k \cdot (100 \cdot \rho_{l,tension} \cdot f_{ck})^{1/3} \cdot 2 \cdot d/a \geq v_{min} \cdot 2 \cdot d/a \text{ [N/mm}^2\text{]}$$

$$C_{Rd,c} = 0.15/\gamma_c$$

$$k = 1 + \sqrt{200/d} \leq 2.0 \text{ with } d \text{ [mm]}$$

$$\rho_{l,tension,max} = \text{minimum from } (0.02, 0.5 \cdot f_{cd}/f_{yd})$$

$$\rho_{l,tension} = \sqrt{(\rho_{lx,tension} \cdot \rho_{ly,tension})} \leq \rho_{l,tension,max}$$

$$v_{min} = 0.0525/\gamma_c \cdot k^{3/2} \cdot f_{ck}^{1/2} \text{ for } d \leq 600 \text{ mm}$$

mean effective depth

$$d_m = (55 + 54)/2 = 54.5 \text{ cm}$$

scale factor

$$k = 1 + \sqrt{200/545} = 1.61 < 2$$

longitudinal reinf. ratio of the anchored tension reinf.

mean of the tension reinforcement to the distance 3d from the column

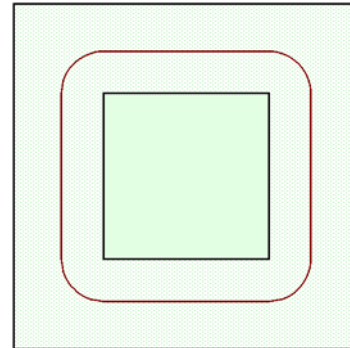
$$a_{s,x,3d} = 33.9/2.5 = 13.56 \text{ cm}^2/\text{m}$$

$$a_{s,y,3d} = 24.9/2.5 = 9.94 \text{ cm}^2/\text{m}$$

$$\rho_{lx,tension} = 13.56/55 \cdot 10^{-2} = 0.00247$$

$$\rho_{ly,tension} = 9.94/54 \cdot 10^{-2} = 0.00184$$

$$\rho_{l,tension} = \sqrt{0.00247 \cdot 0.00184} = 0.00213$$



4.5.2.1. Permanent and transient design situation (LK 4)

$$C_{Rd,c} = 0.15/1.5 = 0.1$$

$$\rho_{l,tension,max} = \text{minimum from } (0.02, 0.5 \cdot 17/434.78) = 0.0195 > 0.0021$$

$$v_{min} \cdot 2 \cdot d/a = 0.0525/1.5 \cdot 1.61^{3/2} \cdot 30^{0.5} \cdot 2 \cdot 54.5/30.5 = 1.393 \text{ N/mm}^2$$

$$v_{Rd,c} = 0.1 \cdot 1.61 \cdot (100 \cdot 0.00213 \cdot 30)^{1/3} \cdot 2 \cdot 54.5/30.5 = 1.064 \text{ N/mm}^2 < 1.393 \text{ N/mm}^2 \Rightarrow v_{Rd,c} = 1.393 \text{ N/mm}^2$$

0.892 N/mm² < 1.393 N/mm² ⇒ no additional reinforcement required

4.5.2.2. Design calculation situation earthquake (LK 8)

$$C_{Rd,c} = 0.15/1.5 = 0.1$$

$$\rho_{l,tension,max} = \text{minimum from } (0.02, 0.5 \cdot 17/434.78) = 0.0195 > 0.0021$$

$$v_{min} \cdot 2 \cdot d/a = 0.0525/1.5 \cdot 1.61^{3/2} \cdot 30^{0.5} \cdot 2 \cdot 54.5/30 = 1.418 \text{ N/mm}^2$$

$$v_{Rd,c} = 0.1 \cdot 1.61 \cdot (100 \cdot 0.00213 \cdot 30)^{1/3} \cdot 2 \cdot 54.5/30 = 1.084 \text{ N/mm}^2 < 1.418 \text{ N/mm}^2 \Rightarrow v_{Rd,c} = 1.418 \text{ N/mm}^2$$

0.593 N/mm² < 1.418 N/mm² ⇒ no additional reinforcement required

5. Drehfeder des Systems foundation-soil

determination der Drehfederkonstante with Hilfe des beddingsmodules.

$$c_{v,x} = k_s \cdot l_x$$

$$c_{v,y} = k_s \cdot l_y$$

Abschätzung des beddingsmodules acc. to [5]

$$k_s = E_s / (f \cdot (b_x \cdot b_y)^{0.5})$$

with Formfaktor f abhängig vom aspect ratio: 1:1 -> f = 0.45, 1:2 -> f = 0.42, 1:4 -> f = 0.35

Abschätzung fuer limiting depth with d_s = 2 · b_{min} = 2 · 2.50 = 5.00m

Gewogenes Mittel fuer Zusammendrückungsmodul to zur limiting depth E_{m,cal} = 75800.00 kN/m²

assumption for Korrekturfaktor κ = 1

stiffenerziffer E_s = 1 · 75800.00 = 75800.00 kN/m²

Formfaktor f = 1.00

beddingsmodul k_s = 30320.00 kN/m³

Trägheitsmoment I_x / I_y = 3.26 / 3.26 kN/m³

Drehfeder about the x-axis c_{v,x} = 98697.92 kNm

Drehfeder about the y-axis c_{v,y} = 98697.92 kNm

6. summary

all executed verifications and design calculations successful.

longitudinal reinforcement x-direction	Drehfeder about the x-axis
min $A_{s,x}$	$C_{v,x}$
= 28.5 cm ²	= 98697.92 kNm
longitudinal reinforcement y-direction	Drehfeder about the y-axis
min $A_{s,y}$	$C_{v,y}$
= 19.9 cm ²	= 98697.92 kNm

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